

The Semantics of Adjectival Modification ¹

(1) **Our Current Assumptions Regarding Adjectives and Common Ns**

a. Both adjectives and common nouns denote functions of type $\langle e,t \rangle$

(i) $[[\text{male}]]$ = $[\lambda x : x \in D_e . \underline{x \text{ is male}}]$

(ii) $[[\text{politician}]]$ = $[\lambda x : x \in D_e . \underline{x \text{ is a politician}}]$

b. The copula and the indefinite article are ‘semantically vacuous’

(i) $[[\text{is}]]$ = $[\lambda f : f \in D_{\langle e,t \rangle} . f]$

(ii) $[[\text{a}]]$ = $[\lambda f : f \in D_{\langle e,t \rangle} . f]$

(2) **Truth-Conditional Statements These Assumptions Derive**

a. “Barack is male” is T *iff* Barack is male.

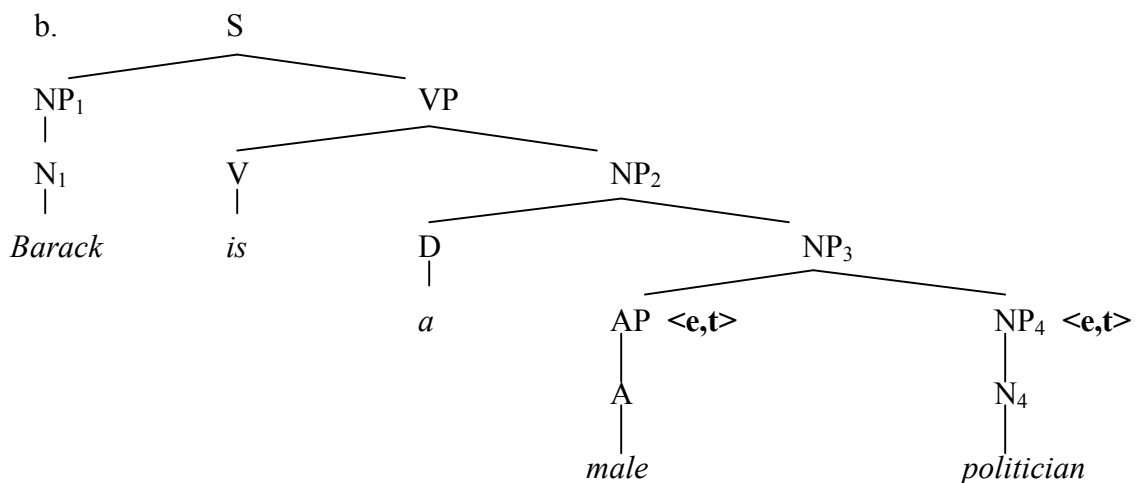
b. “Barack is a politician” is T *iff* Barack is a politician.

(3) **PROBLEM**

Our semantic system is unable to interpret sentences like those in (4), which are quite common, canonical structures for adjectives.

(4) **Adjectival Modification Structure in English**

a. Barack is a male politician.



¹ These notes are based on the material in Heim & Kratzer (1998: 63-73). For more on the semantics of adjectival modification, students are encouraged to read McNally (2013).

(5) **What's the Problem with (4)?**

- NP₃ is a node whose two daughters *both* denote $\langle e,t \rangle$ functions...
- Thus, neither daughter of NP₃ can take the other as argument...
- Thus, Function Application can't apply to interpret NP₃...
- *Thus, we have no rule for interpreting NP₃*

(6) **The Plan Towards a Solution**

- a. Let's try to think up a rule that will allow us to interpret NP₃, *and* which will derive the correct T-conditions for sentence (4a).
- b. Let's start off, then, by doing the following:
 - (i) Let's choose an accurate truth-conditional statement for (4a) which we want to derive.
 - (ii) Given that truth-conditional statement, let's figure out what the extension of NP₃ *has to be*.
 - (iii) Given the extension we figure out for NP₃, let's figure out a rule which will derive that extension from the extensions of NP₄ (*politician*) and the AP (*male*).

(7) **Targeted Truth-Conditional Statement**

"Barack is a male politician" is T *iff* Barack is male and Barack is a politician.

Side-Note:

Why this T-conditional statement?

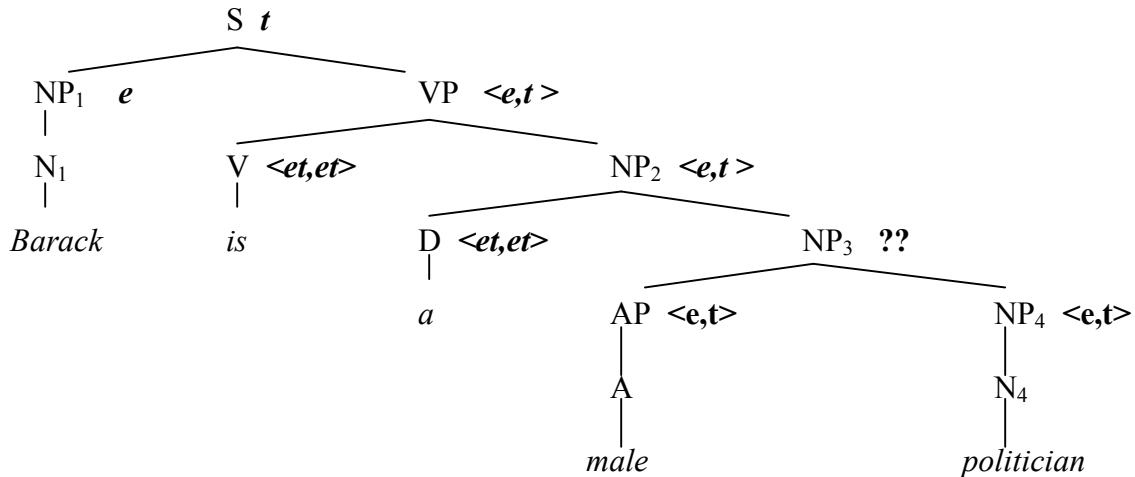
- It's accurate.
- As a matter of fact, it ends up putting us on the right track for a number of adjectives.

Now, let's take the T-conditional statement in (7) as given, and then figure out what the extension of the NP "male politician" has to be in order to derive it!

1. Deducing the Extension of “male politician”

First, let’s deduce the semantic type of the complex, modified NP *male politician*.

(8) Deducing the Type of NP₃



- Given that the type of $[[S]]$ is t , and the type of NP_1 is e , we can conclude (via familiar reasoning), that the type of $[[VP]]$ is $\langle e,t \rangle$.
- Given that the type of $[[VP]]$ is $\langle e,t \rangle$, and the type of $[[V]]$ is $\langle et,et \rangle$, we can conclude (via familiar reasoning), that the type of $[[NP_2]]$ is $\langle e,t \rangle$.
- Given that the type of $[[NP_2]]$ is $\langle e,t \rangle$, and the type of $[[D]]$ is $\langle et,et \rangle$, we can conclude (via familiar reasoning), that **the type of $[[NP_3]]$ is $\langle e,t \rangle$.**

But what kind of $\langle e,t \rangle$ function is the extension of NP_3 ???

(9) Some Reasoning, Part 1

CLAIM: $[[VP]] = [[NP_3]]$

- $[[\text{is a male politician}]]$ = $[[\text{is}]]$ ($[[\text{a male politician}]]$) (by FA, NN)
- $[[\text{is}]]$ ($[[\text{a male politician}]]$) = $[\lambda f_{\langle e,t \rangle} : f]$ ($[[\text{a male politician}]]$) (by TN)
- $[\lambda f_{\langle e,t \rangle} : f]$ ($[[\text{a male politician}]]$) = $[[\text{a male politician}]]$ (by LC)
- $[[\text{a male politician}]]$ = $[[\text{a}]]$ ($[[\text{male politician}]]$) (by FA, NN)
- $[[\text{a}]]$ ($[[\text{male politician}]]$) = $[\lambda f_{\langle e,t \rangle} : f]$ ($[[\text{male politician}]]$) (by TN)
- $[\lambda f_{\langle e,t \rangle} : f]$ ($[[\text{male politician}]]$) = $[[\text{male politician}]]$ (by LC)

(10) **Some Reasoning, Part 2**

a. Given our rule of FA and the types deduced above:

$$[[\text{Barack is a male politician}]] = [[\text{is a male politician}]](\text{Barack})$$

b. Given our reasoning in (9), it follows that the three truth-conditional statements below are all equivalent.

(i) $[[\text{Barack is a male politician}]] = T \text{ iff } B. \text{ is male and } B. \text{ is a politician.}$

(ii) $[[\text{is a male politician}]](\text{Barack}) = T \text{ iff } B. \text{ is male and } B. \text{ is a politician.}$

(iii) **$[[\text{male politician}]](\text{Barack}) = T \text{ iff } B. \text{ is male and } B. \text{ is a politician.}$**

c. **CONCLUSION:** The extension of NP₃ “male politician” is a function which takes an entity x as argument, and returns T iff x is male and x is a politician.

(11) **The Deduced Extension for NP₃**

$$[[\text{male politician}]] = [\lambda x : x \in D_e . \underline{x \text{ is male and } x \text{ is a politician}}]$$

2. **Developing a Rule that Will Derive the Extension**

(12) **What We’ve Deduced So Far**

$$\left(\begin{array}{cc} & \text{NP}_3 \\ & \swarrow \quad \searrow \\ \text{AP} & \text{NP}_4 \\ \downarrow & \downarrow \\ \text{A} & \text{N}_4 \\ \downarrow & \downarrow \\ \text{male} & \text{politician} \end{array} \right) = [\lambda x : x \in D_e . \underline{x \text{ is male and } x \text{ is a politician}}]$$

(13) **What We Need**

- A rule which will derive the equation in (12).
- This rule will relate the extension of NP₃ to the extensions of its two daughter nodes
- The rule will thus take $[[\text{AP}]]$ and $[[\text{NP}_4]]$, and give us back $[[\text{NP}_3]]$, as schematized below:

$$\text{RULE} ([[\text{AP}]]) ([[\text{NP}_4]]) = [[\text{NP}_3]] = [\lambda x_e : \underline{x \text{ is male and } x \text{ is a politician}}]$$

(14) **Some Reasoning**

- a. As mentioned above, our rule should set up the following equation:

$$\mathbf{RULE} ([[AP]]) ([[NP_4]]) = [\lambda x_e : \underline{x \text{ is male and } x \text{ is a politician}}]$$

- b. However, given NN and TN, we know that:

$$(i) \quad [[AP]] = [\lambda y_e : \underline{y \text{ is male}}]$$

$$(ii) \quad [[NP_4]] = [\lambda y_e : \underline{y \text{ is a politician}}]$$

- c. Thus, our rule should set up the following equation:

$$\mathbf{RULE} ([\lambda y_e : \underline{y \text{ is male}}]) ([\lambda y_e : \underline{y \text{ is a politician}}]) = [\lambda x_e : \underline{x \text{ is male and } x \text{ is a politician}}]$$

- d. Given our notation, we know that the following equivalences hold in our metalanguage:

$$(i) \quad x \text{ is male} \approx [\lambda y_e : \underline{y \text{ is male}}](x) = T$$

$$(ii) \quad x \text{ is a politician} \approx [\lambda y_e : \underline{y \text{ is a politician}}](x) = T$$

- e. Thus, given c and d, we know that our rule should set up the following equation:

$$\mathbf{RULE} ([\lambda y_e : \underline{y \text{ is male}}]) ([\lambda y_e : \underline{y \text{ is a politician}}]) = [\lambda x_e : \underline{[\lambda y_e : \underline{y \text{ is male}}](x) = T \text{ and } [\lambda y_e : \underline{y \text{ is a politician}}](x) = T}]$$

- f. **CONCLUSION:**

What our rule should do is take two $\langle e, t \rangle$ functions – f and g – and give back the $\langle e, t \rangle$ function which maps and entity x to T iff $f(x) = T$ and $g(x) = T$

(15) **The Rule of ‘Predicate Modification’ (PM) [Heim & Kratzer (1998: 65)]**

If X is a branching node that has two daughters – Y and Z – and if both $[[Y]]$ and $[[Z]]$ are in $D_{\langle et \rangle}$, then:

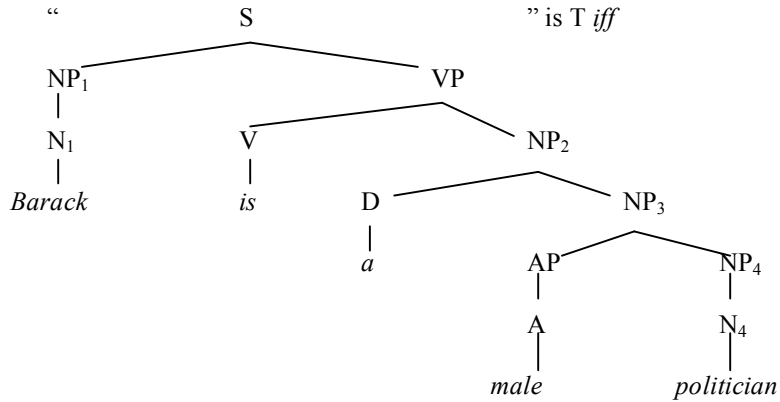
$$[[X]] = [\lambda x : x \in D_e . \underline{[[Y]](x) = T \text{ and } [[Z]](x) = T}]$$

The $\langle et \rangle$ function which takes an entity x , and yields T iff $[[Y]]$ applied to x is T and $[[Z]]$ applied to x is T .

Let's make sure this rule of 'Predicate Modification' does the work we want it to, by trying it out in a truth-conditional derivation!...

(16) A Quick, Sample Derivation

a. " is T iff (by notation)



b. $[[S]] = T$

c. **Subproof:**

(i) $[[NP_1]] =$ (by NN x2, TN)
 (ii) Barack

d. **Subproof:**

(i) $[[V]] =$ (by NN, TN)
 (ii) $[\lambda f : f \in D_{\langle e, t \rangle} . f]$

e. **Subproof:**

(i) $[[D]] =$ (by NN, TN)
 (ii) $[\lambda f : f \in D_{\langle e, t \rangle} . f]$

f. **Subproof:**

(i) $[[AP]] =$ (by NN x 2, TN)
 (ii) $[\lambda y : y \in D_e . \underline{y \text{ is male}}]$

g. **Subproof:**

(i) $[[NP_4]] =$ (by NN x 2, TN)
 (ii) $[\lambda y : y \in D_e . \underline{y \text{ is a politician}}]$

h. **Subproof:**

(i) $[[NP_3]] =$ (by PM, f, g)

(ii) $[\lambda x : x \in D_e . [[AP]](x) = T \text{ and } [[NP_4]](x) = T] =$ (by f)

(iii) $[\lambda x : x \in D_e . \underline{[\lambda y : y \in D_e . y \text{ is male}]}(x) = T \text{ and } [[NP_4]](x) = T] =$ (by LC)

(iv) $[\lambda x : x \in D_e . \underline{x \text{ is male}} \text{ and } [[NP_4]](x) = T] =$ (by g)

(v) $[\lambda x : x \in D_e . \underline{x \text{ is male and } [\lambda y : y \in D_e . y \text{ is a politician}]}(x) = T] =$ (by LC)

(vi) $[\lambda x : x \in D_e . \underline{x \text{ is male and } x \text{ is a politician}}]$

Proof continued on the following page...

- i. **Subproof:**
- (i) $[[\text{NP}_2]]$ = (by FA, e, h)
 - (ii) $[[\text{D}]]$ ($[[\text{NP}_3]]$) = (by e)
 - (iii) $[\lambda f : f \in D_{\langle e, t \rangle} . f]$ ($[[\text{NP}_3]]$) = (by LC)
 - (iv) $[[\text{NP}_3]]$ = (by h)
 - (v) $[\lambda x : x \in D_e . \underline{x \text{ is male and } x \text{ is a politician}}]$
- j. **Subproof:**
- (i) $[[\text{VP}]]$ = (by FA, d, i)
 - (ii) $[[\text{V}]]$ ($[[\text{NP}_2]]$) = (by d)
 - (iii) $[\lambda f : f \in D_{\langle e, t \rangle} . f]$ ($[[\text{NP}_2]]$) = (by LC)
 - (iv) $[[\text{NP}_2]]$ = (by i)
 - (v) $[\lambda x : x \in D_e . \underline{x \text{ is male and } x \text{ is a politician}}]$
- k. $[[\text{S}]]$ = T *iff* (by FA, c, j)
- l. $[[\text{VP}]]$ ($[[\text{NP}_1]]$) = T *iff* (by c)
- m. $[[\text{VP}]]$ (Barack) = T *iff* (by j)
- n. $[\lambda x : x \in D_e . \underline{x \text{ is male and } x \text{ is a politician}}]$ (Barack) = T *iff* (by LC)
- o. Barack is male and Barack is a politician.

(17) Conclusions

- a. Our rule of Predicate Modification (PM) is able to successfully derive the following T-conditional statement:
“Barack is a male politician” is T *iff* Barack is male and Barack is a politician.
- b. Our rule of PM will similarly derive the following T-conditional statements, all of which seem to be accurate:
 - (i) “Muffy is a **pregnant cat**” is T *iff* Muffy is **pregnant** and Muffy is a **cat**.
 - (ii) “Joe is a **married man**” is T *iff* Joe is **married** and Joe is a **man**.
 - (iii) “Tor is a **dead dinosaur**” is T *iff* Tor is **dead** and Tor is a **dinosaur**.

3. A Problem for Our Rule of Predicate Modification: Subjective Adjectives

(18) General T-Conditional Statement Derived by Our Rule of PM

We just saw in the previous section that our rule of predicate modification derives T-conditional statements of the following general form:

“name is an adjective noun” is T *iff* name is adjective and name is a noun

(19) PROBLEM!

Unfortunately, not all T-conditional statements of the form in (18) are accurate. The following T-conditional statements don't seem to be accurate:

a. “Barack is a **young president**” is T *iff* Barack is **young** and Barack is a **president**.

- Barack is 53, and so is a young president (*i.e.*, he's young *for a president*).
- However, it isn't true that Barack is young (in any absolute sense).

b. “Allen Iverson is a **short basketball player**” is T *iff* Allen Iverson is **short** and Allen Iverson is a **basketball player**.

- Allen Iverson is only 6' tall, and so he *is* a short basketball player.
- However, it isn't true that Iverson is short (in any absolute sense).

c. “Howard Lasnik is a **famous linguist**” is T *iff* Howard Lasnik is **famous** and Howard Lasnik is a **linguist**.

- Every linguist knows who Howard Lasnik is, and so he is a famous linguist (*i.e.*, he's famous *for a linguist*).
- However, it isn't true that Howard Lasnik is famous (in any absolute sense).

(20) Conclusion

There seem to be adjectival modification structures where our rule of PM makes the wrong predictions.

So, how can we handle cases like those in (19)?

(21) **Guiding Intuition**

a. There's a very crucial and fundamental difference between the meanings of the adjectives in (i) below (for which our rule of PM works), and the meanings of adjectives in (ii) below (for which our rule of PM doesn't work):

(i) *male, pregnant, married, dead, (female, unmarried, widowed...)*

(ii) *young, short, famous, (tall, old, happy, angry...)*

b. The key difference between these two classes of adjectives seems to be the following:

- Something can be *young/short/famous/etc.* in a **relative sense**. That is, it makes sense to say things like the following:

“He is *young/short/famous/etc.* **for an X.**”

- Something can't be *male/pregnant/married/dead/etc.* in a **relative sense**. That is, it makes no sense to say things like the following:

“He is *male/pregnant/married/dead/etc.* **for an X.**”

c. Consequently...

if you say:	then you could mean:	and not:
<i>young president</i>	<i>young for a president</i>	<i>young (absolutely)</i>
<i>short b.ball player</i>	<i>short for a b.ball player</i>	<i>short (absolutely)</i>
<i>famous linguist</i>	<i>famous for a linguist</i>	<i>famous (absolutely)</i>

But...

if you say:	then you <u>couldn't</u> mean:	you could only mean:
<i>male politician</i>	<i>male for a politician</i>	<i>male (absolutely)</i>
<i>pregnant cat</i>	<i>pregnant for a cat</i>	<i>pregnant (absolutely)</i>
<i>dead dinosaur</i>	<i>dead for a dinosaur</i>	<i>dead (absolutely)</i>

(22) **Terminology**

a. Intersective Adjective
Adjectives like *male, pregnant, etc.*, for which our rule of PM works perfectly.

b. Subsective Adjective
Adjectives like *young, short, famous, etc.*, for which our rule of PM doesn't work.

So, our rule of PM works perfectly for the so-called ‘intersective adjectives’...

How, then, do we incorporate the so-called ‘subsective adjectives’ into our system?

(23) **Proposal for Subsective Adjectives**

a. [[young]] =

$[\lambda f_{\langle et \rangle} : [\lambda x_e : \underline{f(x) = T}$ and x is below the average age for the entities in $\{ y : f(y) = T \}]]$

*the function which takes an <et> function f , and an entity x , and returns T iff:
 $f(x) = T$ and x is below the average age for entities of which f is T*

b. [[short]] =

$[\lambda f_{\langle et \rangle} : [\lambda x_e : \underline{f(x) = T}$ and x is below the average height for the entities in $\{ y : f(y) = T \}]]$

*the function which takes an <et> function f , and an entity x , and returns T iff:
 $f(x) = T$ and x is below the average height for entities of which f is T*

Consider the semantics that these lexical entries predict for NPs like “young president” or “short basketball player”...

(24) **Semantics of “Young President” (Informal Demonstration)**

a. $\left(\left(\begin{array}{cc} & NP_1 \\ & / \quad \backslash \\ AP & NP_2 \\ | & | \\ A & N_2 \\ | & \cdot \\ young & president \end{array} \right) \right) =$ (by FA, NN)

b. [[young]] ([[president]]) = (by TN)

c. $[\lambda f_{\langle et \rangle} : [\lambda x_e : \underline{f(x) = T}$ and x is below the average age for the entities in $\{ y : f(y) = T \}]]$
 ([[president]]) = (by LC)

d. $[\lambda x_e : \underline{[[president]](x) = T}$ and x is below the average age for the entities in $\{ y : [[president]](y) = T \}] =$ (by TN)

e. $[\lambda x_e : [\lambda y_e : \underline{y$ is a president](x) = T and x is below the average age for the entities in $\{ y : [\lambda y_e : y$ is a president](y) = T \}] = (by LC)

f. $[\lambda x_e : \underline{x$ is a president and x is below average age for the entities in $\{ y : \underline{y$ is a president \}]

(25) **Preliminary Result, Part 1**

[[young president]] =

[$\lambda x_e : \underline{x \text{ is a president and } x \text{ is below average age for the entities in } \{y : y \text{ is a president}\}}$]

*the function which takes an entity x , and returns T iff
 x is a president, and x is below average age of a president*

(26) **Preliminary Result, Part 2**

Via a similar proof to that in (24), we can derive the equation below:

[[short basketball player]] =

[$\lambda x_e : \underline{x \text{ is a basketball player and } x \text{ is below average height for the entities in } \{y : y \text{ is a basketball player}\}}$]

*the function which takes an entity x , and returns T iff
 x is a basketball player, and x is below the average height for a basketball player*

(27) **Key Consequence**

It's easy to see that (25) and (26) together entail that our semantic system is able to derive the following T-conditional statements.²

- a. "Barack is a young president" is T iff Barack is president,
and Barack is below average age for the entities in $\{y : y \text{ is a president}\}$
- b. "Iverson is a short basketball player" is T iff Iverson is a basketball player,
and Iverson is below average height for the entities in $\{y : y \text{ is a basketball player}\}$

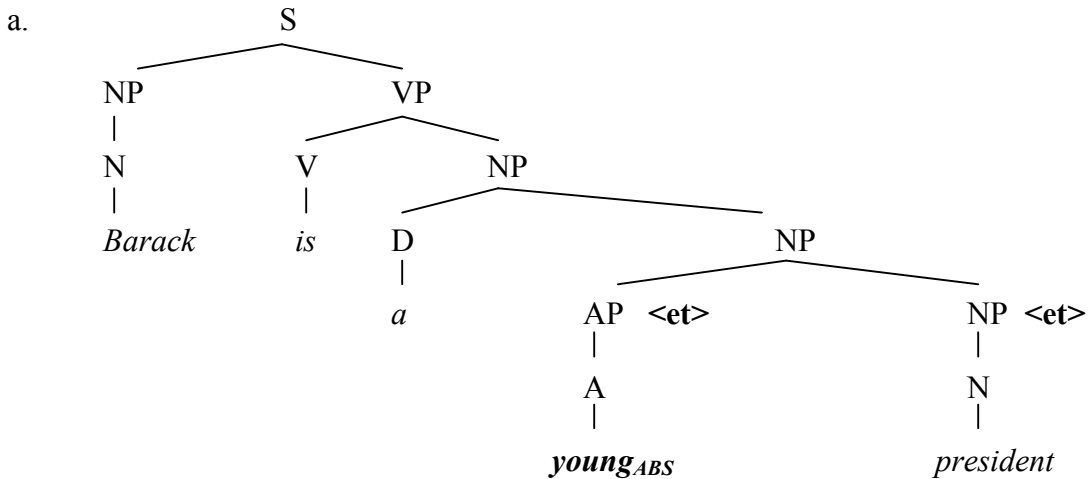
(28) **Some Commentary**

- a. Unlike the T-conditional statements in (19a) and (19b), the ones in (27a) and (27b) seem to be accurate.
- b. *Moreover*, the accuracy of (27a) and (27b) show why (19a,b) are incorrect:
 - Just because Barack is below the average age for a president, it doesn't follow that Barack is *young* (below the average age for people in general).
 - Just because Iverson is below average height for a b.ball player, it doesn't follow that he is *short* (below average age for people in general)

² The reader is encouraged to sketch the proof out for themselves, to confirm that what I say in (27) is accurate.

(32) Further Prediction

- If substantive adjectives like *young/tall/etc.* really do have ‘absolute readings’ as in (30a), then we predict that structures like (32a) should be possible, where the ‘absolute’ version of the adjective is modifying a noun.



- As illustrated above, it follows from (30) that a substantive adjective under its ‘absolute reading’ will be of type <et>.
- Therefore, in order to interpret an NP modified by a substantive adjective under its ‘absolute reading’, we need to employ the rule of Predicate Modification.
- When we do, we compute that structures like (32a) should have the following truth-conditions:³

b. [[Barack is a young_{ABS} president]] = T iff B. is **young** and B. is a **president**.

• **PREDICTION:**

Sentences like (19a) (repeated below) have a reading where the following T-conditional statement *does* hold:

c. “Barack is a **young president**” is T iff B. is **young** and B. is a **president**.

But does this prediction indeed hold?...

Key Observation: The reading in (32c) can be *false* even if Barack is young *for a president*. (see (19))

³ The reader is encouraged to perform the computation themselves, to confirm that what I say here is accurate.

(33) **Test of the Prediction in (32)**

Does the following sentence make any sense at all? Does it have an interpretation where it is not a flat-out contradiction:

*Barack is not a young president, but he is young **for a president**.*

a. If it does:

- Then it follows that the sentence “Barack is a young president” can be false, *even when Barack is young **for a president**.*
- This would entail that the sentence “Barack is a young president” has a reading where it means something **other** than *Barack is young for a president*.
- Thus, this would support our prediction in (32)

b. If it doesn't:

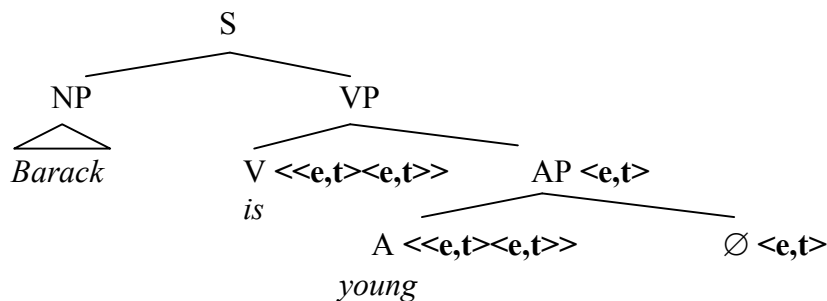
- Then it follows that the sentence “Barack is a young president” *has to be true* when Barack is young for a president.
- This would support the notion that the sentence “Barack is a young president” has only the ‘relative’ T-conditions in (27)

... so what are the facts?...

(34) **Solution 2: A Phonologically Null Argument**

- Perhaps, in sentences like (29), the adjective first combines with a phonologically empty argument, performing the role of the ‘missing NP’?
- That is, let's assume that (23) really has the structure (35).

(35) **Adjective ‘Young’ Functioning as Main Predicate**



Syntactic Observation: The phonologically null ‘ \emptyset ’ could not be an NP. (*Can you see why?*)

(36) **Semantics for ‘ \emptyset ’** Let’s assume for now that $[[\emptyset]] = [\lambda x : x \text{ is a person}]$

(37) **Predicted Truth-Conditions:**

“Barack is young” is T *iff* Barack is a person and Barack is below average age for the entities in $\{y : y \text{ is a person}\}$

(38) **Problem!**

Our semantics will wrongly assign sentences like (38a) the truth-conditions in (38b).

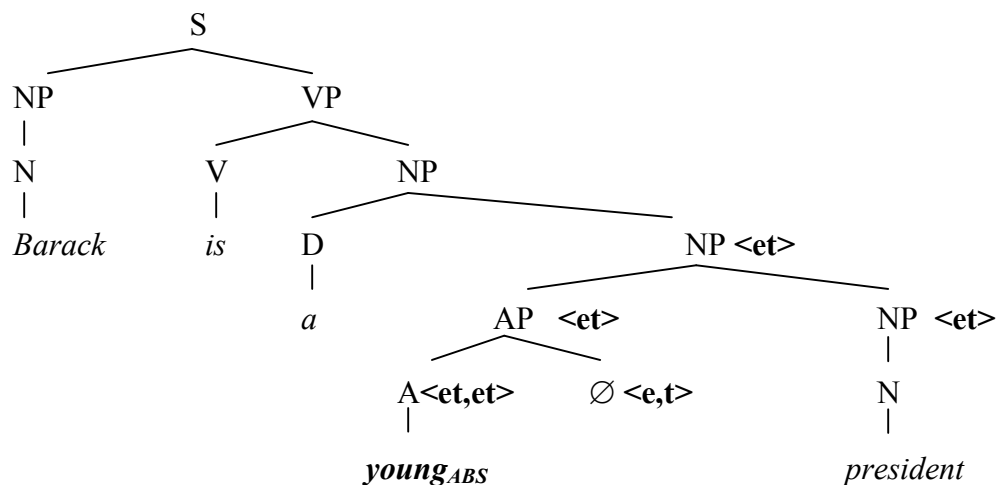
- a. Frodo the Hobbit is young.
- b. “Frodo the Hobbit is young” is T *iff* Frodo the Hobbit **is a person** and Frodo the Hobbit is below average age for the entities in $\{y : y \text{ is a person}\}$ ⁴

(39) **Intuitive Solution**

- The null argument ‘ \emptyset ’ in sentences like (35), (38a) doesn’t have a fixed meaning in the lexicon. **Rather, its meaning is determined by context, like a pronoun.**
 - When we’re talking about people, ‘ \emptyset ’ is understood as $[\lambda x : x \text{ is a person}]$
 - When we’re talking about hobbits, ‘ \emptyset ’ is understood as $[\lambda x : x \text{ is a hobbit}]$
- We don’t yet have a precise theory/model of how expressions like pronouns or ‘ \emptyset ’ have a context-dependent meaning, *but we will soon!*...

(40) **Prediction, Part 1**

Since our system does still have the rule of PM, we predict that a sentence like (19a) could also have the structure below.



⁴ Recall that in *Lord of the Rings*, hobbits live to be over 100, and Frodo is a youthful 33.

(41) **Prediction, Part 2**

Thus, we predict that (19a)/(40) has a reading where it is T *iff*:

Barack is a president, and Barack is a person, and Barack is below average age for **persons**.

Note that this predicted reading is quite similar to that in (32).

- Thus, the test in (33) would also serve to test the validity of the analysis in (34)

(42) **Question: Do We Really Need PM Anymore?**

- If we suppose that there exists this '∅' which can be argument As, then we could treat *all* adjectives as being *only* of type <et,et> (even *male*).
- If we went this route, we could dispense with the rule of PM entirely, and so also avoid the prediction in (40)-(41), if it turns out to be inaccurate...

(43) **Some Reasons for Keeping PM**

- a. For some adjectives, it seems a bit of a stretch to treat them as type <<et><et>>, and it's more natural to think of them as simple predicates.
 - In what sense is a 'pregnant woman' simply 'pregnant for a woman'?
 - In what sense is a 'male nurse' simply 'male for a nurse'?
- b. As we'll see, we will want the rule of PM to interpret NPs that are modified by *relative clauses*.
 - "Barack is a man who smokes" is T *iff* Barack is a man and Barack smokes.

(44) **Summary: The General Picture that Emerges about Adjectival Modification**

There are (at least) two different types of adjectives in natural language:

- a. Intersective Adjectives [*male, married, dead*]
 - These adjectives are uniformly predicative (of type <e,t>)
 - In modification structures, they are interpreted via a special rule (PM)
- b. Subjective Adjectives [*young, short, famous*]
 - These adjectives are uniformly modificational (of type <<e,t><e,t>>)
 - When they are the main predicate of a sentence, 'something special' happens (maybe they have a null argument, maybe they receive a special <et> reading)