

## Function Composition, Movement Structures, and Quantifier Scope

In these notes, you will be introduced to a system that can interpret quantificational DPs without making use of either (i) covert movement, or (ii) type shifters, *and* which can capture certain aspects of the ‘Movement-Scope Generalization’.

### 1. Syntactic Background: Right Node Raising

Thus far, we’ve assumed that sentences like (1a) have the (surface) structure in (1b), where the verb and the object form a constituent to the exclusion of the subject.

- (1) a. *Sentence:* Barack likes Joe.  
b. *(Surface) Structure:* [s Barack [v<sub>P</sub> likes Joe ] ]

A potential problem for the syntax in (1b) is so-called ‘Right Node Raising’ (RNR) structures like those in (2a), where it seems as if the *subject* and the verb form a constituent to the exclusion of the *object* (2b).

- (2) a. *Sentence:* Barack likes, but Michelle hates, Joe.  
b. *(Surface) Structure:* [ [ [ **Barack likes** ] and [ **Michelle hates** ] ] Joe ]

Now, such RNR structures have been studied for decades. There are at least two possible views as to what’s going on in these structure.

### (3) Two Possible Views of Right Node Raising

- a. Rightward (Across the Board) Movement:  
In the RNR structure, the direct object undergoes rightward (across-the-board) movement from the conjunction:

[ [ [s **Barack** [ likes  $t_I$  ] ] and [s **Michelle** [ hates  $t_I$  ] ] ] Joe<sub>1</sub> ]

- b. The Verb and the Subject form a Constituent:  
In the RNR structure, there is a *special rule* that allows the verb and the subject to form a constituent to the exclusion of the object.
- That is, these are normal conjunction structures, without any movement.

[ [ [ **Barack likes** ] and [ **Michelle hates** ] ] Joe ]

Let’s put aside the analysis in (3a), and pursue the view in (3b). This view implies that there is a special syntactic rule that allows the subject *Barack* and the verb *likes* to form a constituent.

- Thus, this view would imply that sentence (1a) is actually syntactically ambiguous, and could (optionally) be parsed as in (4) below.

- (4) **Alternate Parse for (1a)** [s [ Barack likes ] Joe ]

## 2. Semantic Background: The Rule of Function Composition

Now, if (4) is a possible structure for (1a), *how does it get interpreted?*

- Notice that we need the structure in (4) to have the same truth-conditions as (1b).

(5) **Desired Semantic Result:**  $[[ [s [ Barack likes ] Joe ] ] ] = T$  *iff* Barack likes Joe

Our first key ingredient here will be the following type-shifting operator from Problem Set 7.

(6) **Type Shifting Operator for Proper Names**

$$[[ \text{SHIFT}_{\text{Names}} ] ] = [ \lambda x_e : [ \lambda f_{\langle et \rangle} : \underline{f(x)} = T ] ]$$

Now, let us introduce the following new semantic interpretation rule.

(7) **The Rule of Function Composition (FC)**

If X is a node whose daughters are Y and Z, and if  $[[Y]]$  is of type  $\langle \alpha, \beta \rangle$ , while  $[[Z]]$  is of type  $\langle \beta, \gamma \rangle$  then  $[[X]]$  is the following function of type  $\langle \alpha, \gamma \rangle$ :

$$[[ X ] ] = [ \lambda f_{\alpha} : [[Z]]([Y](f)) ]$$

What This Function Does:

$[[X]]$  takes an argument  $f$  of type  $\alpha$  and then does the following:

- it inputs  $f$  into the extension of Y
- it inputs the result of  $[[Y]](f)$  – which is of type  $\beta$  – into the extension of  $[[Z]]$

*With this rule, we can obtain the desired semantic result in (5)...*

(8) **Derivation of the Truth-Conditions in (5)**

$$\text{a. } [[ \text{Barack } \text{SHIFT}_{\text{Names}} ] ] = [ \lambda f_{\langle et \rangle} : \underline{f(\text{Barack})} = T ] \quad (\text{by TN, FA, LC})$$

$$\text{b. } [[ \text{likes} ] ] = [ \lambda x_e : [ \lambda y_e : \underline{y \text{ likes } x} ] ] \quad (\text{by TN})$$

$$\text{c. } [[ [ [ \text{Barack } \text{SHIFT}_{\text{Names}} ] \text{ likes } ] ] ] = \quad (\text{by FC})$$

$$[ \lambda x_e : [[ \text{Barack } \text{SHIFT}_{\text{Names}} ] ] ([ [ \text{likes} ] ] (x)) ] = \quad (\text{by 8b, LC})$$

$$[ \lambda x_e : [[ \text{Barack } \text{SHIFT}_{\text{Names}} ] ] ([ \lambda y_e : \underline{y \text{ likes } x} ]) ] = \quad (\text{by 8a})$$

$$[ \lambda x_e : [ \lambda f_{\langle et \rangle} : \underline{f(\text{Barack})} = T ] ([ \lambda y_e : \underline{y \text{ likes } x} ]) ] = \quad (\text{by LC})$$

$$[ \lambda x_e : [ \lambda y_e : \underline{y \text{ likes } x} ] (\text{Barack}) = T ] = \quad (\text{by LC})$$

$$[ \lambda x_e : \underline{\text{Barack likes } x} ]$$

- d.  $[[ \text{Joe} ]]$  = Joe (by TN)
- e.  $[[ [ [ [ \text{Barack SHIF}_{\text{Names}} ] \text{likes} ] \text{Joe} ] ] ]$  = (by FA, (8c-d))
- $[ \lambda x_e : \text{Barack likes } x ](\text{Joe}) = T$  iff (by LC)
- Barack likes Joe.
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### 3. Applying the Machinery to Movement Structures

With our rule of Function Composition, we can also interpret topicalization structures like (9a), by assuming that they simply have the structure in (9b).

- Note that in the assumed structure in (9b), there are no traces or copied indices

#### (9) Interpreting Topicalization via Function Composition

- a. Sentence: Joe, Barack likes.
- b.  $[[ S' ]]$  = T iff Barack likes Joe (by FA, LC)
- DP  $[[ S ]]$  =  $[ \lambda x_e : \text{Barack likes } x ]$  (by FC, FA, LC)
- $\triangle$   
Joe
- DP VP  
 $\triangle$  Barack SHIF<sub>Names</sub> |  
V  
likes

This rule will also allow us to interpret relative clauses like (10a), by assuming that they simply have the structure in (10b)

- Note again that the assumed structure in (10b) has no traces or copied indices

#### (10) Interpreting Relativization via Function Composition

- a. Relative Clause: man who Barack likes
- b.  $[[ \text{NP} ]]$  =  $[ \lambda x_e : x \text{ is a man and Barack likes } x ]$  (by PM, LC)
- NP  $[[ \text{CP} ]]$  =  $[ \lambda x_e : \text{Barack likes } x ]$
- $\triangle$  man
- DP  $[[ S ]]$  =  $[ \lambda x_e : \text{Barack likes } x ]$
- $\triangle$  who
- $\triangle$  Barack SHIF<sub>Name</sub> likes

#### 4. Applying the Machinery to Quantificational DPs in Non-Subject Position

Just as sentence (11a) is ambiguous between the parses in (11b,c), we can suppose that sentence (12a) is ambiguous between parses (12b) and (12c).

##### (11) Assumed Syntactic Ambiguity of Transitive Sentences

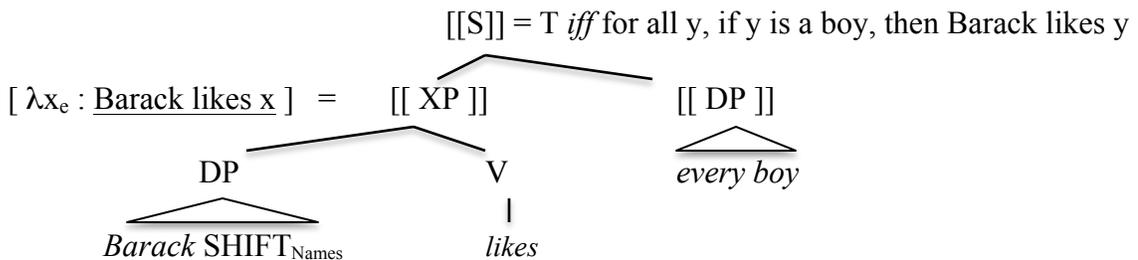
- a. Sentence: Barack likes Joe.
- b. VP-Parse: [ Barack [ likes Joe ] ]
- c. FC-Parse: [ [ Barack SHIFT likes ] Joe ]

##### (12) Assumed Syntactic Ambiguity of Transitive Sentences

- a. Sentence: Barack likes every boy.
- b. VP-Parse: [ Barack [ likes every boy ] ]
- c. FC-Parse: [ [ Barack SHIFT likes ] every boy ]

##### (13) Key Observation

Under the FC-based parse in (12c), the sentence in (12a) is interpretable, *even though we don't make use of any covert movement or type shifters on the quantificational DP (or V)*.



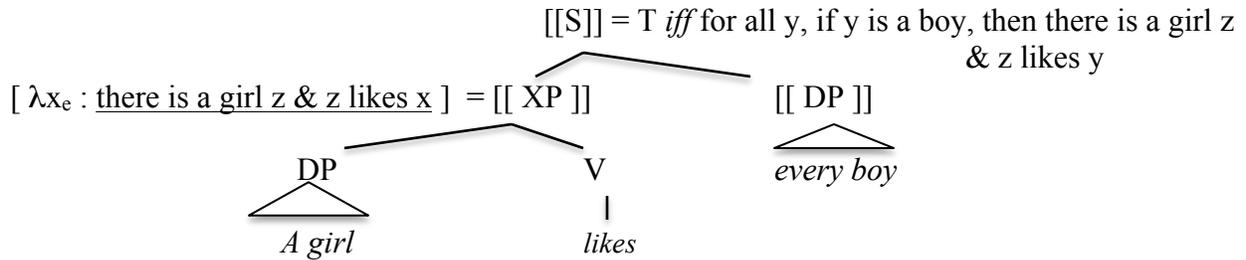
Similarly, we can assume that sentence (14a) is ambiguous between the parses in (14b) and (14c)

##### (14) Assumed Syntactic Ambiguity of Transitive Sentences

- a. Sentence: A girl likes every boy.
- b. VP-Parse: [ A girl [ likes every boy ] ]
- c. FC-Parse: [ [ A girl likes ] every boy ]

(15) **Key Observation**

Under the FC-based parse in (14c), sentence (14a) is interpretable, *and it receives a reading where the object 'every boy' has scope above the subject 'a girl'*.



(16) **Interim Summary**

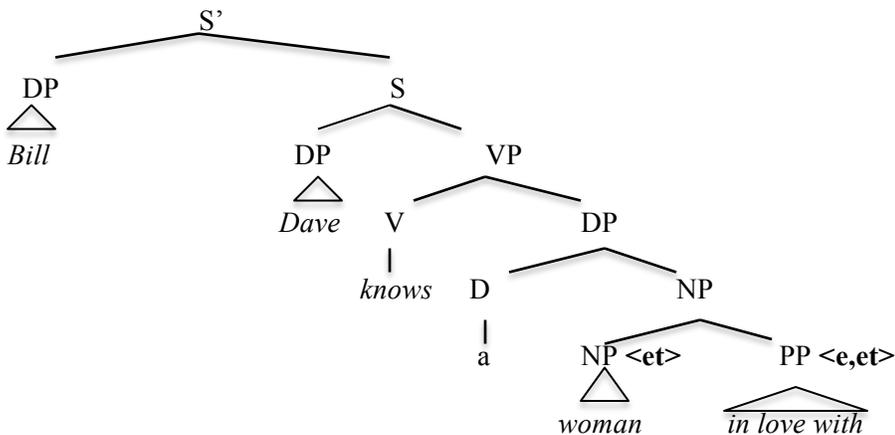
We have a single ‘mechanism’ – the rule of Function Composition (FC) – which can be used to both (i) interpret movement structures, and (ii) interpret structures where a quantificational DP occupies a non-subject position.

- Moreover, this mechanism does not appeal to covert movement.
- Nor does this mechanism require a type shifter on the quantificational DP or the verb

**5. Major Consequence: No Movement or Scoping Out of Adjunct Modifiers**

(17) **No Movement Out of Adjunct Modifiers**

Even if we could somehow generate the ‘movement structure’ below syntactically, *our semantics would not be able to interpret it.*

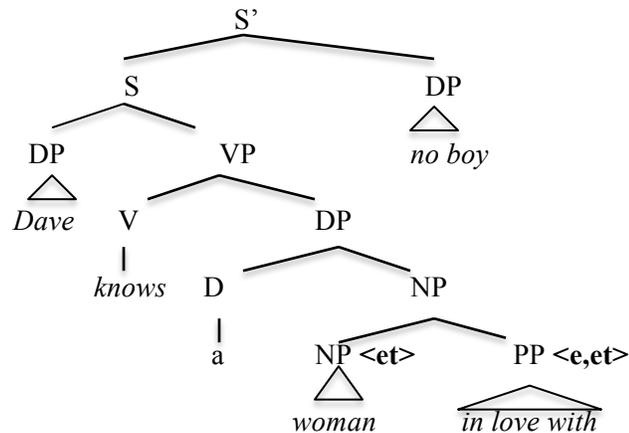


The Problem: There’s no way of combining the PP *in love with* with the NP *woman*...

- **Function Composition won’t work here (the types aren’t right)**
- **Predicate Modification can’t work either (the types aren’t right)**

(18) **No Scoping Out of Adjunct Modifiers**

Even if we could somehow generate the ‘inverse scope structure’ below syntactically, *our semantics would not be able to interpret it.*



The Problem: There's no way of combining the PP *in love with* with the NP *woman*...

- **Function Composition won't work here (the types aren't right)**
- **Predicate Modification can't work either (the types aren't right)**

(19) **The Main Upshot**

- In the system that we've just developed, we predict that neither of the following things are possible:
  - A DP 'moving' from inside an NP modifier to a position outside the NP modifier
  - A quantificational DP pronounced inside an NP modifier being interpreted as scoping outside the NP modifier.
- In a similar way, our system will predict that neither of the following things are possible:
  - A DP 'moving' from inside a clausal adjunct to a position outside the clausal adjunct.
  - A quantificational DP pronounced inside a clausal adjunct being interpreted as scoping outside the adjunct.
- Our system thus captures an important sub-part of our Movement-Scope Generalization.**
- It does this without postulating *covert movement* in sentences like *Barack likes every boy*.
- However, as in the covert movement analysis, one-and-the-same mechanism is being used to interpret 'movement structures' and structures where quantificational DPs occupy non-subject position...**

**For more on the use of function composition in semantics, see:**

Jacobson, Pauline. 2014. *Compositional Semantics: An Introduction to the Syntax/Semantics Interface*. Oxford University Press.