

Pronouns and Variable Assignments¹

1. Putting this Unit in Context

(1) What We've Done So Far This Unit

- Expanded our semantic theory so that it includes (the beginnings of) a theory of how the *presuppositions* of a sentence are derived.
- Expanded our theory so that it includes (the beginnings of) a theory of how the *implicatures* of a sentence are derived.

(2) Implicatures and Context

- We've seen that implicatures are crucially related to *context*.

Implicatures are inferences drawn from (i) the asserted content of the sentence, and (ii) features of the context, particularly the assumption that the speaker is following the 'Gricean Conversational Maxims'

- Thus, context clearly has an effect on the informational content of a sentence, through its affect on the *implicatures* of the sentence.

But, it turns out, implicatures aren't the only thing affected by context...

(3) Truth-Conditions and Context

In this part of the unit, we will see that context also affects the *truth-conditions* (asserted content) of a sentence...

a. Key Example: Pronouns

- (i) In a context where I am pointing at Barack Obama, "He smokes" is T *iff* Barack Obama smokes.
- (ii) In a context where I am pointing at Joe Biden, "He smokes" is T *iff* Joe Biden smokes.

b. Conclusion: The T-conditions of "He smokes" varies from context to context.

c. Our Goal for This Unit:

Augment our extensional semantics so that it captures the way in which the T-conditions of certain sentences (e.g. those containing pronouns) depend upon features of the context.

¹ These notes are based on the material in Heim & Kratzer (1998: 86-115, 239-245).

2. Pronouns and the Basic Problem of Their Context Dependency

(4) Overarching Question

- How should / could our semantic system model the meanings of *pronouns*?
- What should our interpretation function “[[.]]” yield as the extension of a pronoun?

Our Methodology (Again):

Let's consider the T-conditions of sentences that contain pronouns *and lexical items whose extensions we already know*, and from those try to deduce a lexical entry for the pronoun that will derive those T-conditions...

(5) First Core Fact

The extension of a pronoun seems to be an entity.

- *In a context where the speaker is pointing at Barack:*

[[He smokes]] = T *iff* Barack smokes.

- CONCLUSION: [[He]] = Barack (*in this context*)

(6) Second Core Fact

The extension of a pronoun *can vary across contexts*.

- *In a context where the speaker is pointing at Joe:*

[[He doesn't drink]] = T *iff* Joe doesn't drink.

- CONCLUSION: [[He]] = Joe (*in this context*)

(7) The Challenge

The property in (6) poses a serious problem for our account (as it is currently structured).

- How do we write a lexical entry for [[he]] which reflects the fact that its value varies depending on the context?
- We can't just write [[he]] = Barack *or* Joe *or* Barney *or* John... for every x in D_e
- Not only does such an entry just look ugly, it doesn't do the crucial work of relating the extension of the pronoun to *the specific context it's used in...*

... all such an entry says is that “he” can refer to those entities... it doesn't tell us *when* it can refer to those entities....

(8) **A Syntactic Side-Note**

Following decades of work in syntactic theory, we will assume that pronouns are DPs. Thus, their structure is as follows:

DP
|
D
|
he.

3. **Variable Assignments: The Basic Idea**

(9) **The Challenge (Restated)**

How can we augment our semantic interpretation function “[[.]]” so that it somehow represents properties of the context?

(10) **The Solution (First Pass)**

- We will represent contextual information via special superscripts on “[[.]]”
- We will start with that contextual information which concerns the interpretation of pronouns.
- We will represent that information with a special superscript, which we will call the ‘variable assignment’.
- For now, we take variable assignments to be *single specific entities* taken from D_e

(11) **Some ‘Lingo’**

$[[XP]]^g =$ ‘the extension of XP **relative to the variable assignment g** ’
(‘the extension of XP **in a context where we’re talking about g** ’)

(12) **Pronoun Rule, First Pass [PR]**

If X is a pronoun (*he, she, it, him, her, his, etc.*), then $[[X]]^g = g$

Illustration

- a. $[[he]]^{\text{Barack}} = \text{Barack}$
b. $[[he]]^{\text{Joe}} = \text{Joe}$

The introduction of variable assignments to our interpretation function “[[.]]” requires that we make a few minor adjustments to our semantic interpretation rules...

(13) **General Convention for Non-Pronominals**

If X is not a pronoun, then $[[X]]^g = [[X]]$

Illustration

$[[\text{smokes}]]^{\text{Obama}} = [[\text{smokes}]] = [\lambda x_e : \underline{x \text{ smokes}}]$

(14) **General Convention for Semantic Rules**

Our existing rules of semantic composition are not yet sensitive to variable assignments.

a. (New) Function Application

Let g be any variable assignment. If X is a branching node that has two daughters – Y and Z – and if $[[Y]]^g$ is a function whose domain contains $[[Z]]^g$, then $[[X]]^g = [[Y]]^g ([[Z]]^g)$

b. (New) Non-Terminal Nodes

Let g by any variable assignment. If X is a non-branching node, and Y is its sole daughter, then $[[X]]^g = [[Y]]^g$

c. (New) Terminal Nodes

Let g be any variable assignment. If X is a terminal node *and is not a pronoun*, then $[[X]]^g (= [[X]])$ is specified in the lexicon

d. (New) Predicate Modification

Let g be any variable assignment. If X is a branching node that has two daughters – Y and Z – and if both $[[Y]]^g$ and $[[Z]]^g$ are in $D_{\langle et \rangle}$, then $[[X]]^g = [\lambda x : x \in D_e . [[Y]]^g (x) = T \text{ and } [[Z]]^g (x) = T]$

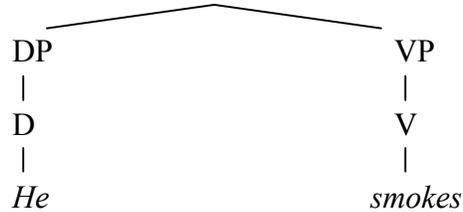
These notational additions allow our system to:

- (i) calculate T-conditions for sentences containing pronouns (relative to a given context)*
- (ii) capture the fact that the T-conditions of such sentences can vary with the context.*

(15) **Sample Derivation 1**

Context: We are talking about Barack

a. “ S ” is T *iff* (by notation)



b. $[[S]]^{\text{Barack}} = T$

c. Subproof

(i) $[[VP]]^{\text{Barack}} =$ (by NNx2, TN)

(ii) $[\lambda x_e : \underline{x \text{ smokes}}]$

d. Subproof

(i) $[[DP]]^{\text{Barack}} =$ (by NNx 2)

(ii) $[[\text{he}]]^{\text{Barack}} =$ **(by PR)**

(ii) Barack

e. $[[S]]^{\text{Barack}} = T$ *iff* (by FA, c, d)

f. $[[VP]]^{\text{Barack}} ([[DP]]^{\text{Barack}}) = T$ *iff* (by c)

g. $[\lambda x_e : \underline{x \text{ smokes}}] ([[DP]]^{\text{Barack}}) = T$ *iff* (by d)

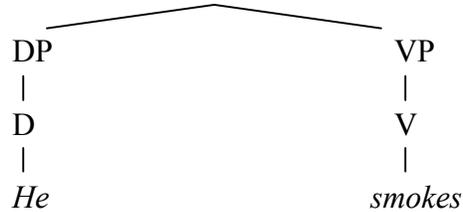
h. $[\lambda x_e : \underline{x \text{ smokes}}] (\text{Barack}) = T$ *iff* (by LC)

i. Barack smokes

(16) **Sample Derivation 2**

Context: We are talking about Joe

a. “ S ” is T *iff* (by notation)



b. $[[S]]^{Joe} = T$

c. Subproof

(i) $[[VP]]^{Joe} =$ (by NNx2, TN)

(ii) $[\lambda x_e : \underline{x \text{ smokes}}]$

d. Subproof

(i) $[[DP]]^{Joe} =$ (by NNx 2)

(ii) $[[he]]^{Joe} =$ **(by PR)**

(ii) Joe

e. $[[S]]^{Joe} = T$ *iff* (by FA, c, d)

f. $[[VP]]^{Joe} ([[DP]]^{Joe}) = T$ *iff* (by c)

g. $[\lambda x_e : \underline{x \text{ smokes}}] ([[DP]]^{Joe}) = T$ *iff* (by d)

h. $[\lambda x_e : \underline{x \text{ smokes}}] (Joe) = T$ *iff* (by LC)

i. Joe smokes

(17) **The Upshot of All This**

Our semantic interpretation function “[[.]]” now comes paired with a superscript, *g*.

This superscript – which we call a ‘variable assignment’ – represents (certain features of) the context that a given phrase is being interpreted relative to.

4. Variable Assignments as Functions

(18) Critical Problem for Our ‘First Pass’ Account

It is possible to have multiple instances of a given pronoun *he* in a single sentence, where *each* instance of the pronoun refers to a *different* entity.

a. Illustration:

Context: *The speaker points first at Barack and then at Joe*

T-Conditions: “He likes him” is T *iff* Barack likes Joe

But, if a variable assignment is only a *single* entity, then all pronouns in a sentence will have to be interpreted as referring to that same single entity.

b. Illustration: (the reader is invited to confirm the following)

[[He likes him]]^{Barack} = T *iff* Barack likes Barack

[[He likes him]]^{Joe} = T *iff* Joe likes Joe.

There’s actually a solution to this problem that employs an idea originally proposed by *syntacticians* for dealing with exactly this problem...

(19) Solution: Indices

There are two parts to this solution: one syntactic and one semantic.

a. Syntactic Component

Every instance of a pronoun in a sentence is assigned an *index*. We might represent these indices simply as numeric subscripts.

(i) he₁ likes him₂. (ii) he₂₃ likes him₄₅₆. (iii) he₂ likes him₂.

b. Semantic Component (Vague; Taken from Syntax)

(i) Pronouns that receive the same index must refer to the same entity.

[[He₁ smokes and he₁ dances]]^g = T *iff* Barack smokes and Barack dances.

(ii) Pronouns that receive different indices can refer to different entities.

[[He₁ smokes and he₂ dances]]^g = T *iff* Barack smokes and Joe dances.

But, how do we formalize this vaguely stated 'semantics' for the notation of indices in (19b)?

(20) **Crucial Augmentation of Variable Assignments**

A variable assignment g is now no longer a *single* individual... rather it is a (partial) *function* from natural numbers (indices) to the set of individuals.

Illustration of Possible Variable Assignments

$$\begin{aligned} s &= \{ \langle 1, \text{Obama} \rangle \} \\ h &= \{ \langle 1, \text{Obama} \rangle, \langle 2, \text{Joe} \rangle \} \\ j &= \{ \langle 5, \text{Bill} \rangle, \langle 78, \text{Obama} \rangle, \langle 2098, \text{Joe} \rangle \dots \} \end{aligned}$$

Side-Note:

- Our earlier variable assignments were taken to represent (in a direct fashion) *the entity that we are talking about*.
- Our new, 'functional' variable assignments can still be thought of doing essentially the same thing: they are functions *into* the set of *entities that we are talking about*.
- You can (for now) think of the index associated with an entity x as something like 'the memory slot' that is assigned to x in the course of the conversation.

With our new variable assignments, we need a new rule for interpreting pronouns...

(21) **Pronouns Rule (PR) [Heim & Kratzer (1998: 111)]**

If X is a pronoun bearing index n , and g is a variable assignment, and n is an index in the domain of g , then $[[X_n]]^g = g(n)$.

Side-Note:

The conventions laid out earlier in (13) and (14) may remain exactly as before.

(22) **Illustration of the Rule PR**

- a. $[[he_1]]^s =$ (by PR)
 $s(1) =$ (by definition of s in (20))
 Obama
- b. $[[he_2]]^h =$ (by PR)
 $h(2) =$ (by definition of h in (20))
 Joe
- c. $[[he_5]]^j =$ (by PR)
 $j(5) =$ (by definition of j in (20))
 Bill
- d. $[[he_{23}]]^h =$ (by PR)
 $h(23) =$ (by definition of h in (20))
UNDEFINED!!!

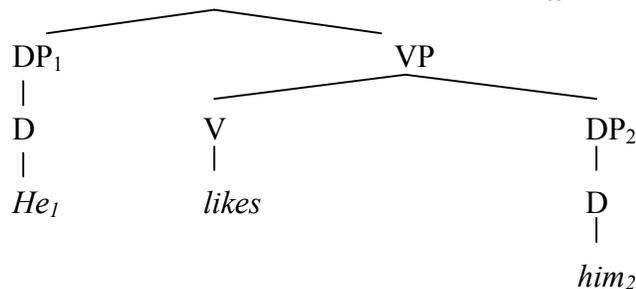
With these additions in place, we can now easily interpret sentences like (18a).

(23) **Sample Derivation**

Context: *Speaker first points at Barack and then at Joe*

Variable Assignment (Reflecting the Context): $g = \{ \langle 1, Barack \rangle, \langle 2, Joe \rangle \}$

- a. “ S ” is T *iff* (by notation)



- b. $[[S]]^g = T$

c. Subproof

- (i) $[[DP_1]]^g =$ (by NNx2)
- (ii) $[[he_1]]^g =$ (by PR)
- (iii) $g(1) =$ (by definition of g)
- (iv) Barack

- d. Subproof
 (i) $[[DP_2]]^g =$ (by NNx2)
 (ii) $[[him_2]]^g =$ **(by PR)**
 (iii) $g(2) =$ **(by definition of g)**
 (iv) Joe
- e. Subproof
 (i) $[[V]]^g =$ (by NNx 2, TN)
 (ii) $[\lambda x_e : [\lambda y_e : \underline{y \text{ likes } x}]]$
- f. Subproof
 (i) $[[VP]]^g =$ (by FA, d, e)
 (ii) $[[V]]^g ([[DP_2]]^g) =$ (by e, d)
 (iii) $[\lambda x_e : [\lambda y_e : \underline{y \text{ likes } x}]] (Joe) =$ (by LC)
 (iv) $[\lambda y_e : \underline{y \text{ likes } Joe}]$
- g. $[[S]]^g = T$ *iff* (by FA, c, f)
- h. $[[VP]]^g ([[DP_1]]^g) = T$ *iff* (by c, f)
- i. $[\lambda y_e : \underline{y \text{ likes } Joe}](Barack) = T$ *iff* (by LC)
- j. Barack likes Joe

(24) **The Upshot**

- Pronouns are represented as bearing an ‘index’ (natural number)
- Variable assignments are functions from indices (numbers) to entities
- Thus, the variable assignment (still) implicitly represents features of the context:

The entities we are referring to and which pronouns we are using to refer to which entity.

- Our rule of PR links the nature of the variable assignment (function from indices to entities) to the extension of the pronoun

The extension of the pronoun depends upon (i) the index it bears, and (ii) the variable assignment (i.e., ‘context’) it is interpreted with

5. Extending These Basic Tools to Definite Descriptions

(24) The Problem of ‘Contextual Restriction’ in Definite DPs

a. Lexical Entry for “the”

[[the]] =

[$\lambda f : f \in D_{\langle e,t \rangle}$ and there is exactly one x such that $f(x) = T$. the unique y such that $f(y) = T$]

b. Problematic Prediction:

Since the argument of [[the]] must be true of *exactly one* entity, it seems that our system cannot interpret the following DPs (which we use all the time)

- (i) the cat
- (ii) the car
- (iii) the house
- (iv) the office

(25) The Vaguely Stated Solution

- In any given context, there is actually only a very small, strict subset of D_e that we are ‘talking about’, that we ‘have in mind’.
- Let’s call this limited set of entities C (for ‘contextually relevant entities’)
- When we use a definite DP like “the NP”, we are referring to that unique entity *from* C that satisfies [[NP]].

[[the]] =

[$\lambda f : f \in D_{\langle e,t \rangle}$ and there is exactly one x **in** C such that $f(x) = T$. the unique y **in** C such that $f(y) = T$]

- Thus, even though we know there are many cats *in the world* (D_e), we can use the DP “the cat” in a context *exactly when* the set of contextually relevant entities (C) contains one and only one cat.

Example

- If I own exactly one cat, then I can in my house say “the cat is hungry”
- If I own two cats, then I *can’t* in my house say “the cat is hungry” (unless one of the other two cats is gone or something...)

(26) Problem

How do we augment our system so that we can explicitly state the relationship between the context and the set C that enters into the meaning of “the”?

(27) **Step 1: A New Contextual Parameter**

In addition to our variable assignment g , let us introduce a further superscript to our interpretation function, **the ‘domain of discourse’**

$[[XP]]^{g,C}$ = the interpretation of XP relative to the variable assignment g and the domain of discourse C

- a. Domain of Discourse, Informal Definition:
The domain of discourse C is ‘all the things that we are talking about’, or ‘all the things that we have in mind at a particular content’
- b. Domain of Discourse, Formal Definition
If g is the variable assignment, then $C =$ the range of g

(28) **Illustration**

- Suppose that s is the following variable assignment: $\{ \langle 1, \text{Joe} \rangle, \langle 2, \text{Frank} \rangle, \langle 3, \text{Tom} \rangle \}$
- Consequently, if we are computing $[[XP]]^{s,C}$, then $C = \{ \text{Joe}, \text{Frank}, \text{Tom} \}$

With this explicit, formal definition of C , we are able to augment our lexical entry for the definite determiner “the”, so that it is appropriately sensitive to C ...

(29) **New Lexical Entry for “The”**

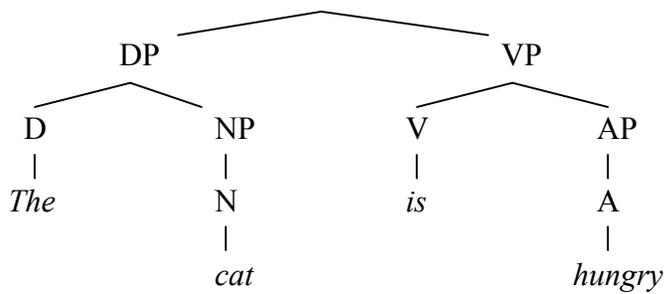
$[[\text{the}]]^{g,C}$ =

$[\lambda f : f \in D_{\langle e, t \rangle}$ and there is exactly one x in C such that $f(x) = T$. the unique y in C such that $f(y) = T$]

(30) **Illustration, Part 1**

- a. Context: Suppose we are at home, and that we own just one cat, Mittens.
- b. Sentence: *The cat is hungry.*
- c. Judgment: Sentence (30b) is interpretable, and is T iff Mittens is hungry.
- d. Derivation: Domain of Discourse, $H =$ ‘the things in our house’
 $\{ \text{the sofa, the car, ... Mittens, ...} \}$
Key feature: domain of discourse (H) contains exactly one cat, Mittens

(i) “ S ” is T iff (by notation)



(ii) $[[S]]^{g,H} = T$

(iii) Subproof:

1. $[[VP]]^{g,H} =$ (by FA, NNx3, TNx2, LC)
 2. $[\lambda x_e : x \text{ is hungry}]$

(iv) Subproof:

1. $[[NP]]^{g,H} =$ (by NNx2, TN)
 2. $[\lambda x_e : x \text{ is a cat}]$

(v) Subproof

1. $[[D]]^{g,H} =$ (by NN, TN)
 2. $[\lambda f : f \in D_{\langle e,t \rangle} \text{ and there is exactly one } x \text{ in } H \text{ such that } f(x) = T . \text{ the unique } y \text{ in } H \text{ such that } f(y) = T]$

(vi) Subproof

1. $[[DP]]^{g,H} =$ (by FA, iv, v)
 2. $[[D]]^{g,H} ([[NP]]^{g,H}) =$ (by v)
 3. $[\lambda f : f \in D_{\langle e,t \rangle} \text{ and there is exactly one } x \text{ in } H \text{ such that } f(x) = T . \text{ the unique } y \text{ in } H \text{ such that } f(y) = T] ([[NP]]^{g,H}) =$ (by LC)
 4. the unique y in H such that $[[NP]]^{g,H}(y) = T =$ (by iv)
 5. the unique y in H such that $[\lambda x_e : x \text{ is a cat}](y) = T =$ (by LC)
 6. the unique y in H such that $y \text{ is a cat} =$ (by definition of H)
 7. Mittens

(vii) $[[S]]^{g,H} = T \text{ iff}$ (by FA, iii, vi)

(viii) $[[VP]]^{g,H} ([[DP]]^{g,H}) = T \text{ iff}$ (by iii)

(ix) $[\lambda x_e : x \text{ is hungry}] ([[DP]]^{g,H}) = T \text{ iff}$ (by vi)

(x) $[\lambda x_e : x \text{ is hungry}] (\text{Mittens}) = T \text{ iff}$ (by LC)

(xi) Mittens is hungry

(31) **Conclusion**

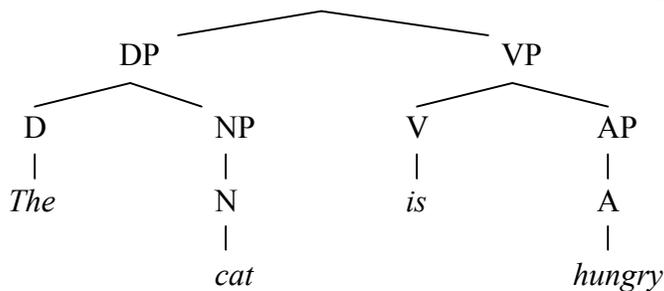
Our new semantics for “the”, augmented by its mention of the novel contextual parameter C (the domain of discourse), correctly predicts the fact that “the cat” is interpretable in a context where there is exactly one ‘contextually salient’ cat.

(32) **Illustration, Part 2**

- a. Context: Suppose we work at a pet store, surrounded by many different cats.
- b. Sentence: *The cat is hungry.*
- c. Judgment: Sentence (30a) is not interpretable
(i.e., a listener could not assign an extension to it, since no extension for the phrase “*the cat*” can be determined.)
- d. Derivation Domain of Discourse, *PS* = ‘the things at the pet store’ ;
{ the door, the cash register, Mittens, Fluffy, Patches, Boots, ... }

Key feature: domain of discourse (*PS*) contains multiple cats (*Mittens, Fluffy, Patches, Boots...*)

(i) “ S ” is T iff (by notation)



(ii) $[[S]]^{g, PS} = T$

(iii) Subproof:

1. $[[VP]]^{g, PS} =$ (by FA, NNx3, TNx2, LC)
2. $[\lambda x_e : x \text{ is hungry}]$

(iv) Subproof:

1. $[[NP]]^{g, PS} =$ (by NNx2, TN)
2. $[\lambda x_e : x \text{ is a cat}]$

(v) Subproof

1. $[[D]]^{g, PS} =$ (by NN, TN)
2. $[\lambda f : f \in D_{\langle e, t \rangle}$ and there is exactly one x in **PS** such that $f(x) = T$. the unique y in **PS** such that $f(y) = T]$

(vi) Subproof

1. $[[DP]]^{g, PS} =$ **STOP!**

COMPUTATION HALTS:

- Since there is more than one x in PS such that $[[cat]](x) = T$, it follows that $[[cat]]$ is *not* in the domain of $[[the]]^g, PS$
- Thus, an interpretation for the DP “*the cat*” cannot be computed, and so an interpretation for the entire sentence cannot be computed.

(33) **General Summary**

- In our treatment of pronouns, we introduced the idea that features of the context can be represented via superscripts to our interpretation function “ $[[\cdot]]$ ”
- In this way, we can model the way in which those features of the context actually affect the extension that a given phrase / sentence receives.
- This provides us the tools to formally introduce the idea that the meaning of the definite determiner “*the*” depends upon **what entities are contextually salient (in the ‘domain of discourse’)**
- This new semantics for “*the*” predicts that “the NP” is interpretable in a context C just in case there is exactly one x **in C** for which $[[NP]](x) = T$

6. The Role of Gender (and Other Features) on Pronominal Meaning

In the system we have constructed thus far, the gender of the pronoun plays no role in limiting its interpretation.

That is, nothing so far rules out a pronoun *he* bearing index n from being interpreted relative to a variable assignment that maps n to some *woman*.

(34) **Illustration: Vacuity of Gender**

- a. Variable Assignment: $g = \{ \langle 1, Sally \rangle \dots \}$
- b. Computation
- | | | | |
|------|--------------|---|-------------------------|
| (i) | $[[he_1]]^g$ | = | (by PR) |
| (ii) | $g(1)$ | = | (by definition of g) |
| (ii) | Sally | | |

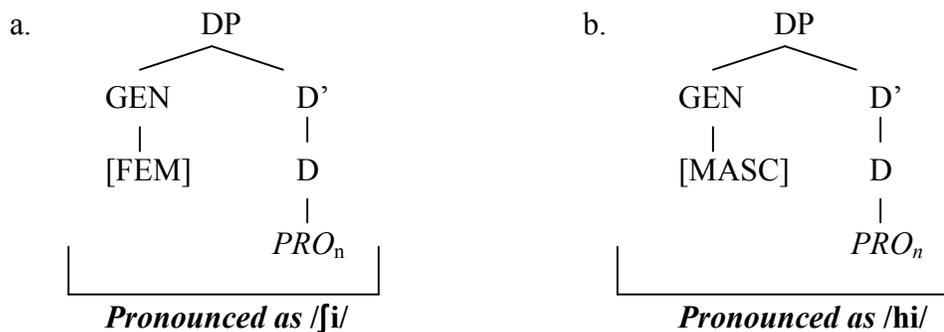
Clearly, we need to fix this!

(35) **Facts to Capture**

- a. Male Gender:
A pronoun *he* bearing index n can only be interpreted relative to variable assignments that map n to some *male entity*.
- b. Female Gender:
A pronoun *she* bearing index n can only be interpreted relative to variable assignments that map n to some *female entity*.

(36) **Step 1: The Syntactic Representation of Gender**

- We want to model the contribution that gender features make to the interpretation of the pronoun.
- Given the set-up of our semantic system, it would be easiest to model this by assuming that pronouns are complex expressions.
- That is, although we pronounce it as a single word, the pronoun *she* actually has the complex structure in (a) below, whereby it consists of:
 - A gender feature [FEM] modifying
 - A pronominal ‘core’, which contributes the pronominal index itself
- The same would hold, *mutatis mutandis* for masculine pronouns (b).



(37) **Step 2: The Semantic Contribution of Gender**

- a. Question: What is the semantic contribution of Gender?
- b. Observations:
- Adding [FEM] to [PRO_n] creates a pronoun that can only receive an interpretation if the variable assignment sends n to a **woman**.
 - Adding [MASC] to [PRO_n] creates a pronoun that can only receive an interpretation if the variable assignment sends n to a **man**.

c. Formal Proposal

Let's assume the following:

- (i) $[[FEM]] = [\lambda x : x \in D_e \text{ and } x \text{ is female} . x]$
The identity function on *female entities*.
- (ii) $[[MASC]] = [\lambda x : x \in D_e \text{ and } x \text{ is male} . x]$
The identity function on *male entities*.

d. Key Consequences

- (i) Suppose that “ she_n ” is interpreted relative to a variable assignment g that maps n to some woman, Sally.

$$\begin{aligned} [[DP]]^g &= \text{(by FA)} \\ [[FEM]]^g([[D']]^g) &= \text{(by NN)} \\ [[FEM]]^g([[PRO_n]]^g) &= \text{(by PR, TN)} \\ [\lambda x : x \in D_e \text{ and } x \text{ is female} . x](g(n)) &= \text{(by def. of } g) \\ [\lambda x : x \in D_e \text{ and } x \text{ is female} . x](\text{Sally}) &= \text{(by LC)} \\ \text{Sally} & \end{aligned}$$

- (ii) Suppose that “ she_n ” is interpreted relative to a variable assignment g that maps n to some man, Dave.

$$[[DP]]^g = \text{UNDEFINED! FA cannot apply!}$$

$[[D']]^g$ is not in the *domain* of $[[GEN]]^g$

- $[[GEN]]^g = [[FEM]]^g = [\lambda x : x \in D_e \text{ and } x \text{ is female} . x]$
- $[[D']]^g = [[PRO_n]]^g = g(n) = \text{Dave}$
- Dave is *not* in the domain of $[\lambda x : x \in D_e \text{ and } x \text{ is female} . x]$

(38) **General, Key Consequence**

Under the syntax in (36) and the semantics in (37c):

- a. She_n can only receive an interpretation if the variable assignment g maps n to some female. (If g doesn't map n to a woman, then she_n is just not interpretable).
- b. Thus, she_n can only be used to refer to females!

(A similar, parallel result clearly holds for the pronoun he_n).

This general approach can also (in principle) be extended to the other morpho-syntactic features of pronouns (i.e., person, number).

Seeing in detail how to do this, however, requires a bit more machinery than what we have thus far...

But, in general, it seems possible to think of pronominal (phi-)features as introducing 'presuppositions' in the way outlined above...